



# Antihyperon-Production in Relativistic Heavy Ion Collisions

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*QM2001, Stonybrook, January 15-20*

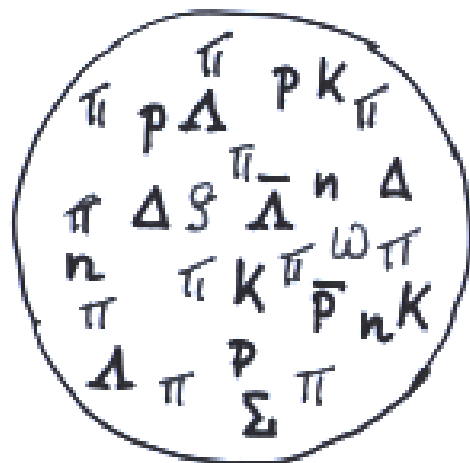
- Strangeness ... QGP ... why antihyperons?
- antihyperon production by multi-mesonic processes
- strangeness production in a hadronic transport model

## Present status: experiment

- particle multiplicities  $\rightarrow$  thermal state?

$\Rightarrow$  **Thermal Model of Hadron Resonance Gas**

(*Braun-Munzinger, Stachel*)



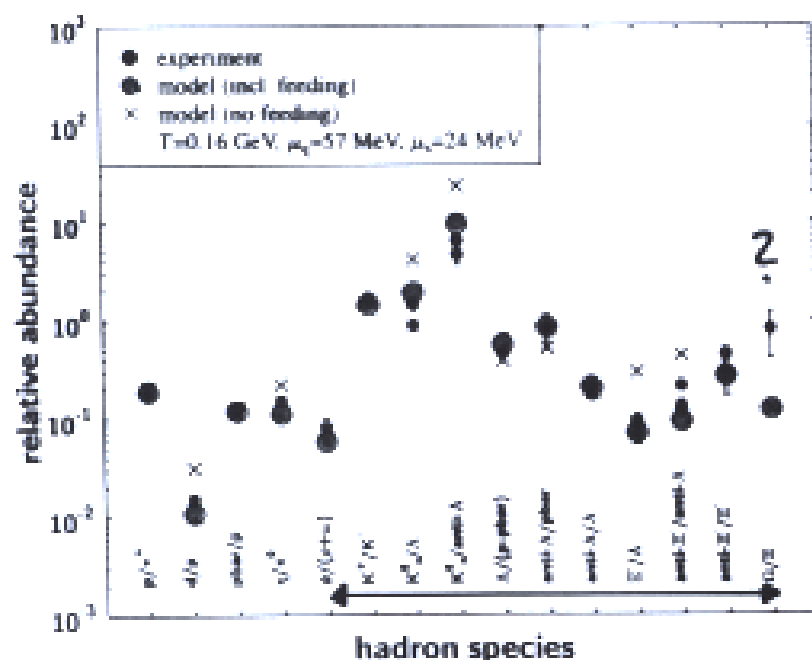
parameters:

T - temperature

$\mu_B = 3\mu_q$  - baryochemical potential

- assumption: (1) perfect chemical equilibrium  
(detailed balance)

(2) individual hadronic particles  $\rightarrow$   
ideal gas



T = 160 MeV

$\mu_B = 170$  MeV

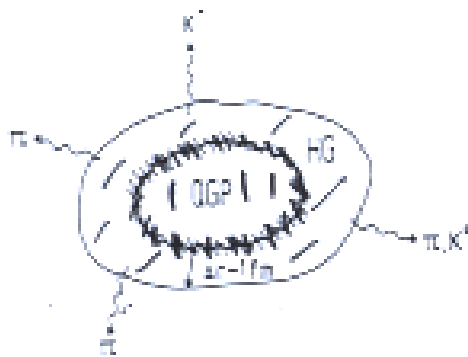
- T=200 MeV  $\Rightarrow$  too many antibaryons ...
- T=130 MeV  $\Rightarrow$  too few antibaryons ...

# Particle ratios of a QGP state

- coexistence model

(Greiner, Stöcker)

PRD 44, 3517 (1991)



phase coexistence:

$$T^{QGP} = T^{HG}$$

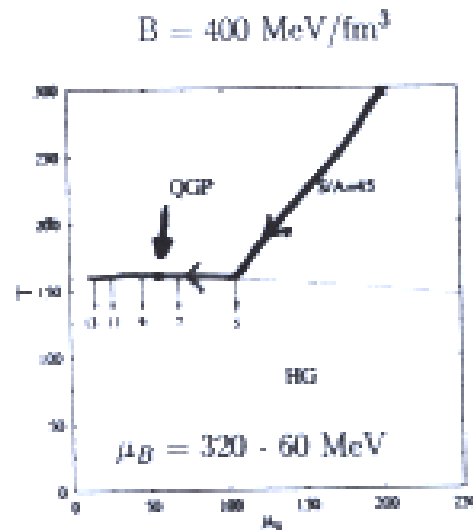
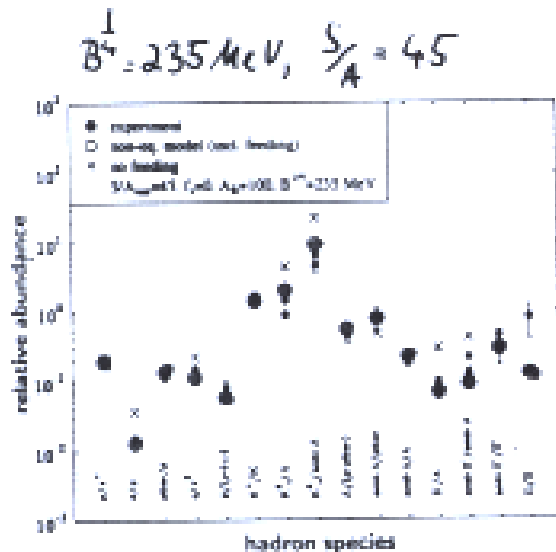
$$p^{QGP} = p^{HG}$$

$$\mu_B^{QGP} = \mu_B^{HG}$$

- rapid disintegration  $\Rightarrow$  particle emission of QGP

(Spieles, Greiner, Stöcker)

Eur. Phys. J C 2, 351 (1998)



- Analysis demands precise knowledge of particle multiplicities!
- therm. state at (chemical) freeze-out?  
 $\Leftrightarrow$  Why does it work so good?
- existence of QGP ... ?

- strangeness equilibration in a hadronic gas ...

→ huge (mass-)thresholds of strange particles

$$p + p \rightarrow p + \underline{\Lambda} + \underline{K} \quad \Delta m = 670 \text{ MeV};$$

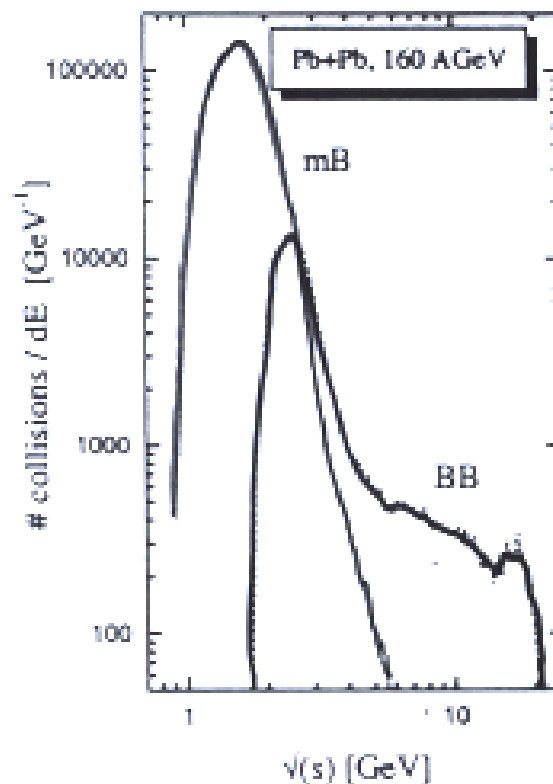
$$p + \pi \rightarrow \underline{\Lambda} + \underline{K} \quad \Delta m = 535 \text{ MeV};$$

$$\pi + \pi \rightarrow \underline{K} + \bar{\underline{K}} \quad \Delta m = 720 \text{ MeV}$$

→ highly suppressed at thermal equilibrium

$$(\tau_{\text{sat}} \sim 100 \text{ fm}/c)$$

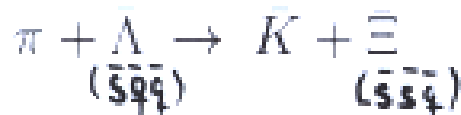
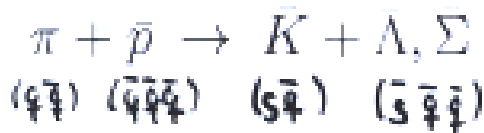
- **But:** preequilibrium production and resonance decays!



Geiss, Cassing, C.G.  
NPA 644, 107 (1998)

# Production of Antihyperons: QGP signature ...?

□ binary strangeness production reaction:



$$\Delta Q \approx 600 \text{ MeV}$$

$$\langle\langle \sigma \rangle\rangle \approx 0.01 - 0.1 \text{ mb}$$

□ binary strangeness exchange reaction:



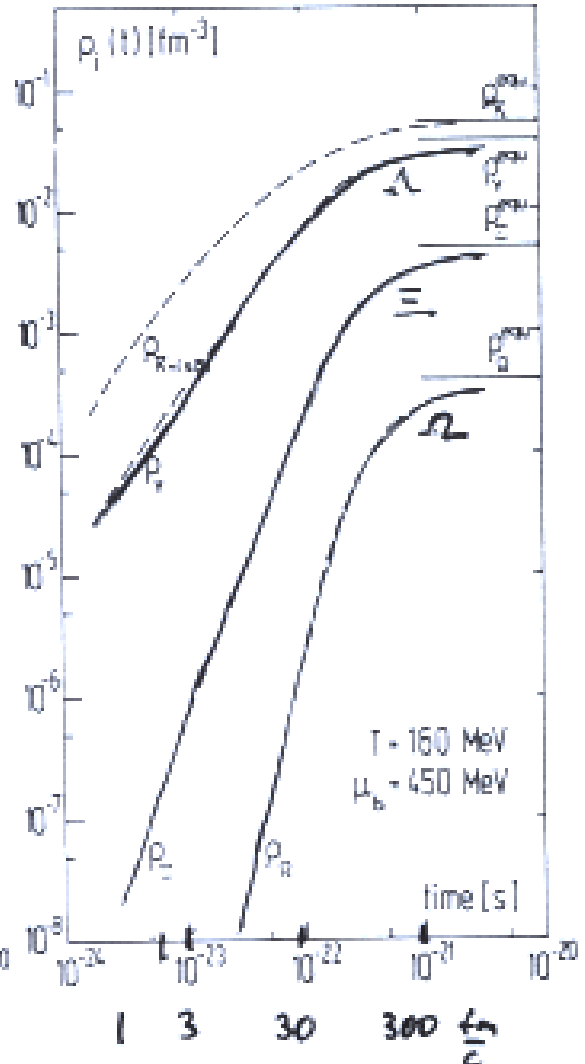
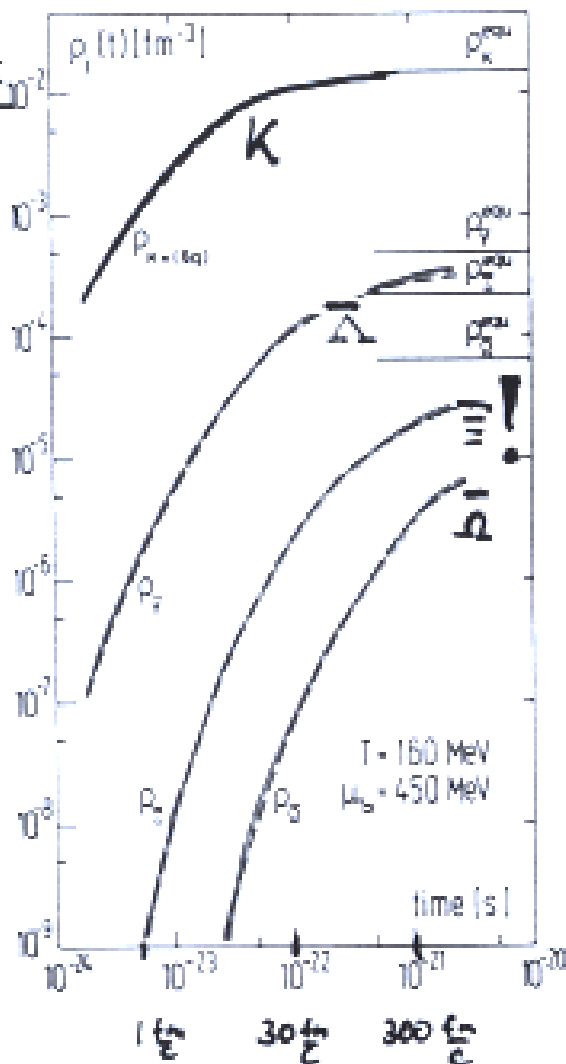
$$\langle\langle \sigma \rangle\rangle \lesssim 1 \text{ mb}$$

P. Koch, B. Müller, J. Rafelski, Phys. Rept. 142 (1986)

□ the agenda:

$$T = 160 \text{ MeV}$$

$$\tau_{chem} \sim \frac{1}{\gamma} \gtrsim 1000 \frac{fm}{c}$$

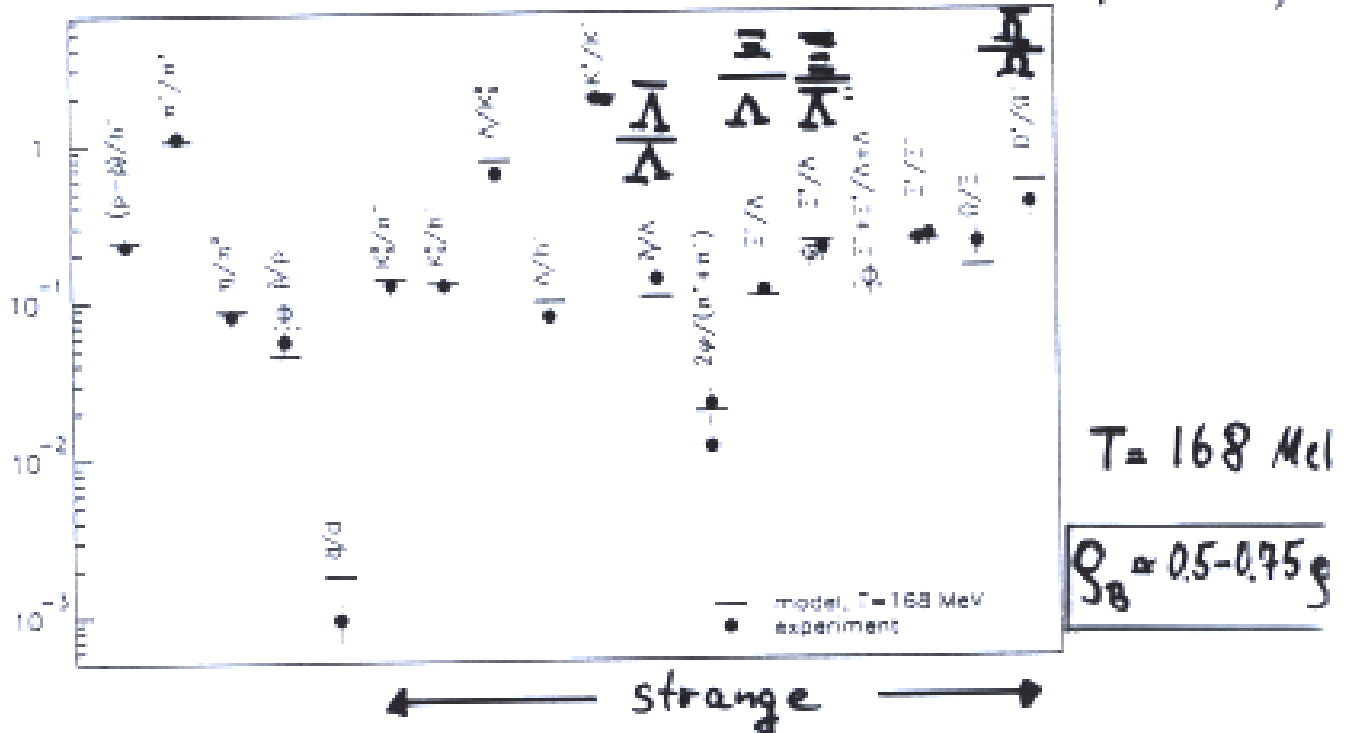


(strange) thermal model analyses:

Pb+Pb

□ particle ratios:

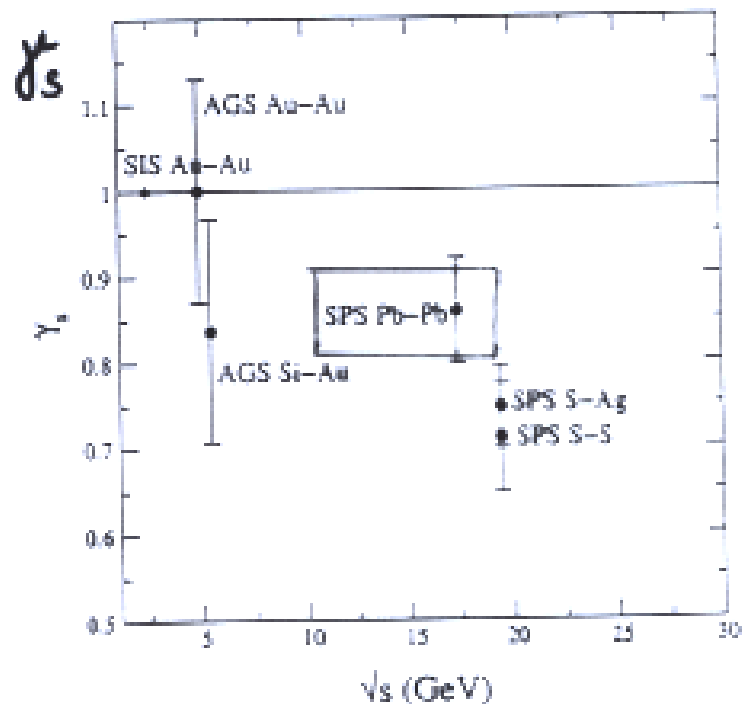
Braun-Munzinger, Heppel, Stachel  
PLB 465, 1 (1999)



□ particle yields and 'strangeness' suppression factor:

Beattini et al, hep-ph/0002267

	Calculated	Measured
$h^-$	157.1	$178 \pm 22$
$K_S^0$	18.87	$21.9 \pm 2.4$
$\Lambda$	14.81	$13.7 \pm 0.9$
$\bar{\Lambda}$	2.254	$1.8 \pm 0.2$
$\Xi^-$	1.275	$1.5 \pm 0.1$
$\Xi^+$	0.4168	$0.37 \pm 0.06$
$\Omega + \bar{\Omega}$	0.2654	$0.41 \pm 0.08$



↔  
good agreement

$$N^{eq} \rightarrow (\gamma_s)^{\#_s} N^{eq}$$

# Production of Antihyperons: Multimesonic channels!

C.G., S. Leupold;  
nucl-th/0003036

□  $\bar{p}$ -production :  $\bar{p} + N \leftrightarrow \bar{n}\pi$   
(Rapp, Shuryak)  $\sim 5-7$

$\sigma_{\bar{p}p} > \approx 50 \text{ mb} \xrightarrow{s_B \approx 0.15 s_0} (\Gamma_{\bar{p}})^{-1} = \tau_{\bar{p}} \approx 3 \text{ fm}/c$

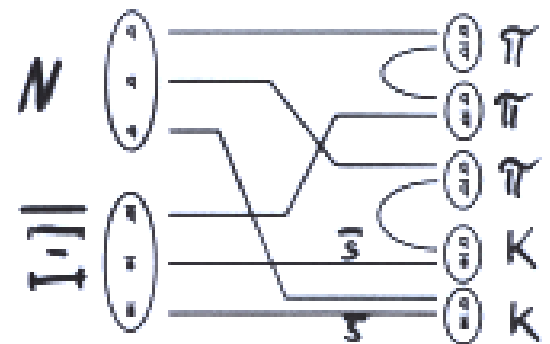
$\mu_{\bar{p}} \approx -\mu_B + \langle n \rangle \mu_{\pi}$   
 $T_{\text{decoupling}} \approx 120 \text{ MeV}$

## ■ $\bar{Y}$ -production :

$\bar{\Lambda} + N \leftrightarrow n_{\bar{\Lambda}} \pi + K$   
( $\bar{3}\bar{4}\bar{4}$ )

$\bar{\Xi} + N \leftrightarrow n_{\bar{\Xi}} \pi + 2K$   
( $\bar{3}\bar{5}\bar{4}$ )

$\bar{\Omega} + N \leftrightarrow n_{\bar{\Omega}} \pi + 3K$   
( $\bar{3}\bar{5}\bar{5}$ )



$\bar{Y} + N \leftrightarrow n\pi + n_Y K$

$n + n_Y \approx 5-7$

## □ Two basic assumptions:

(I)  $\sigma_{N\bar{Y}} \approx \sigma_{N\bar{p}}$

before chem. freeze out

(II)  $\rho_{\pi} \approx \rho_{\pi}^{eq.}$  ,  $\rho_N \approx \rho_N^{eq.}$  ,  $\rho_K \approx \rho_K^{eq.}$

## □ $\Rightarrow$ chemical equilibration time:

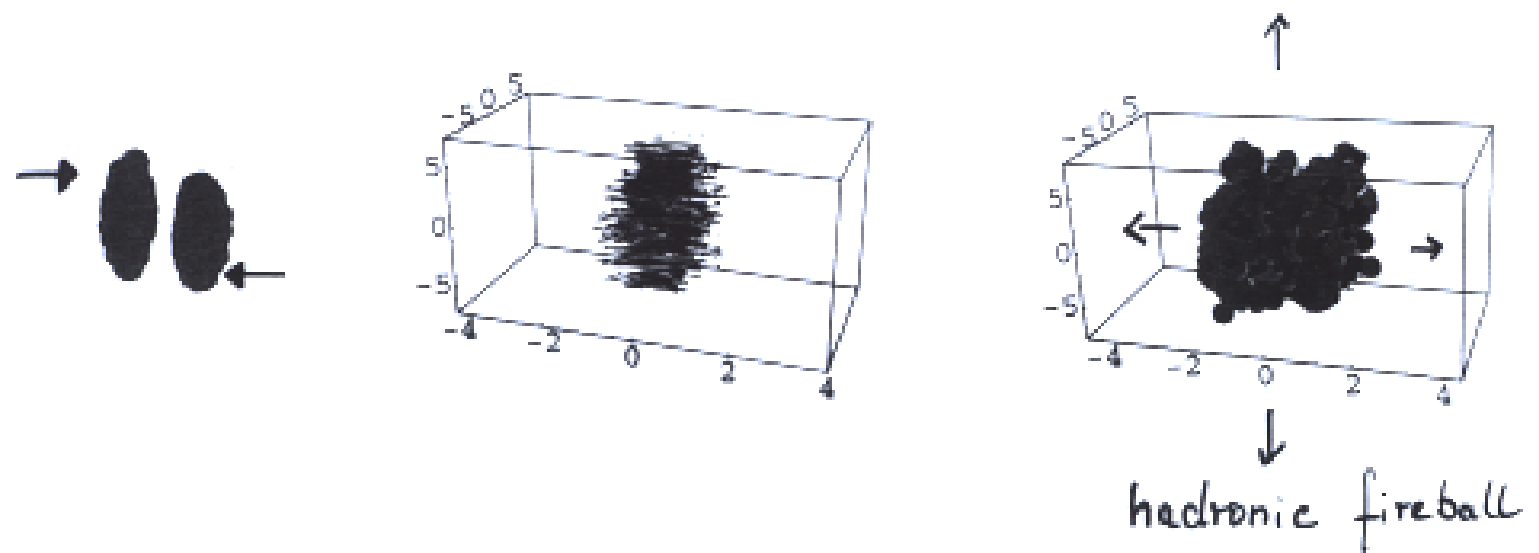
annihilation rate  $\nearrow$

$(\Gamma_Y)^{-1} = \tau_Y := \frac{1}{\langle \langle \sigma_{N\bar{Y} \rightarrow n\pi + n_Y K} v_{YN} \rangle \rangle \rho_B} \xrightarrow{s_B \approx 1-2 s_0} \approx \underline{\underline{1-3 \text{ fm}/c}}$

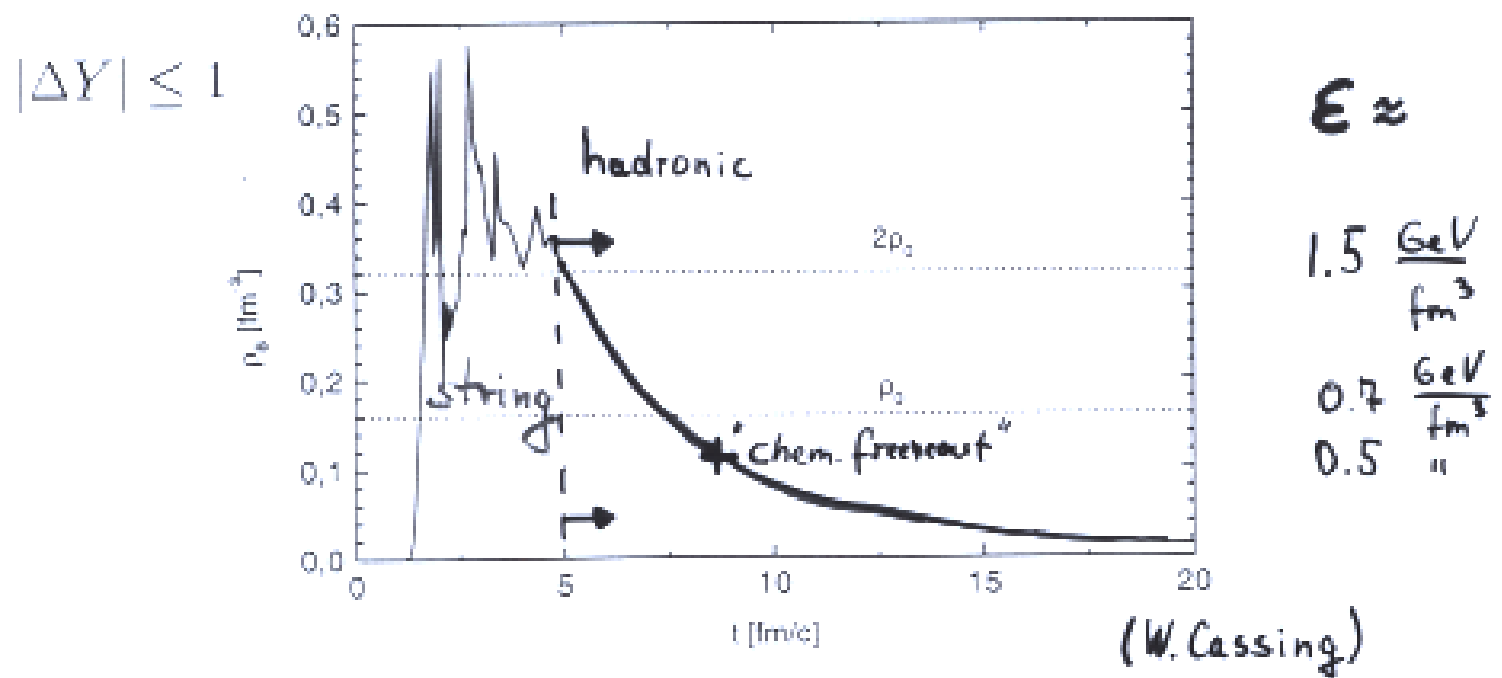
Initial baryon density  $\rho_B(t_i) \dots$

□ prehadronic string excitations:

HSD



baryon density



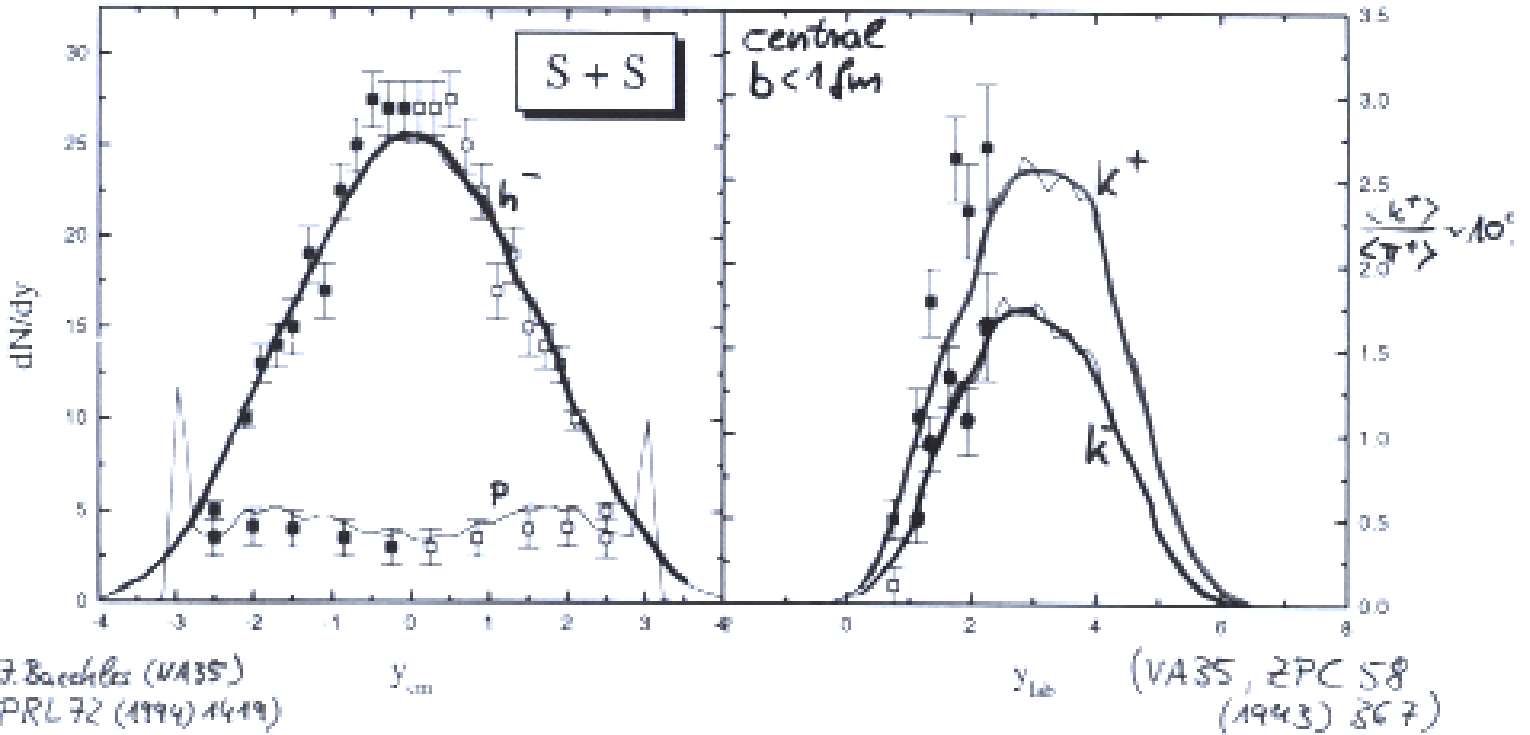
$$\epsilon \approx \langle E_B \rangle \rho_B + \langle E_T \rangle 6\rho_B \approx \underline{\underline{4.3 \rho_B \text{ GeV}/\text{fm}^3}}$$



Strangeness production at SPS energies:

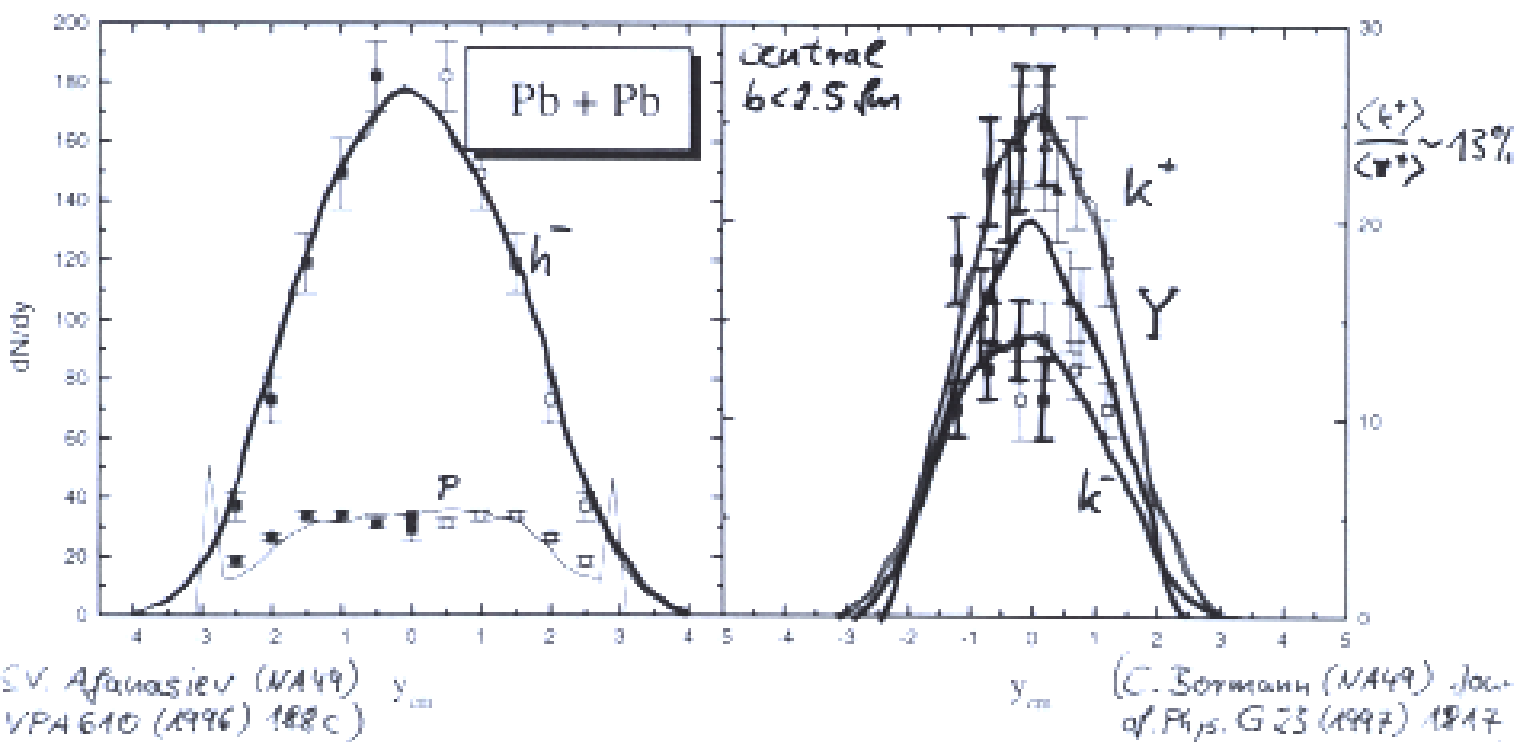
neg. hadrons and protons

charged kaons

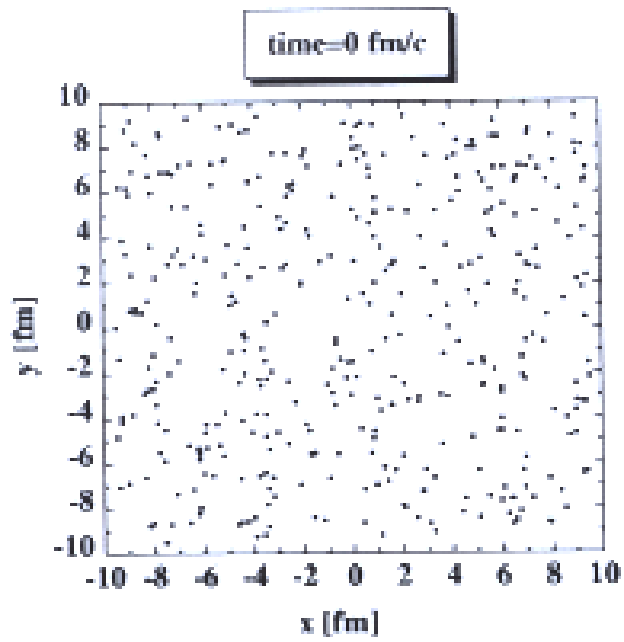


neg. hadrons and protons

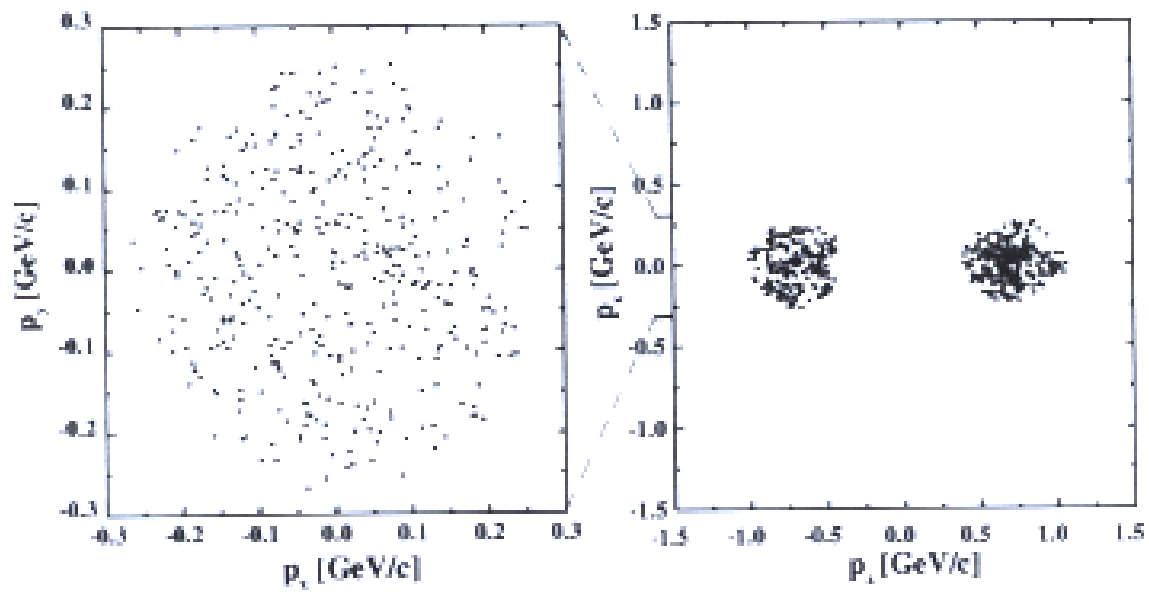
charged kaons, hyperons



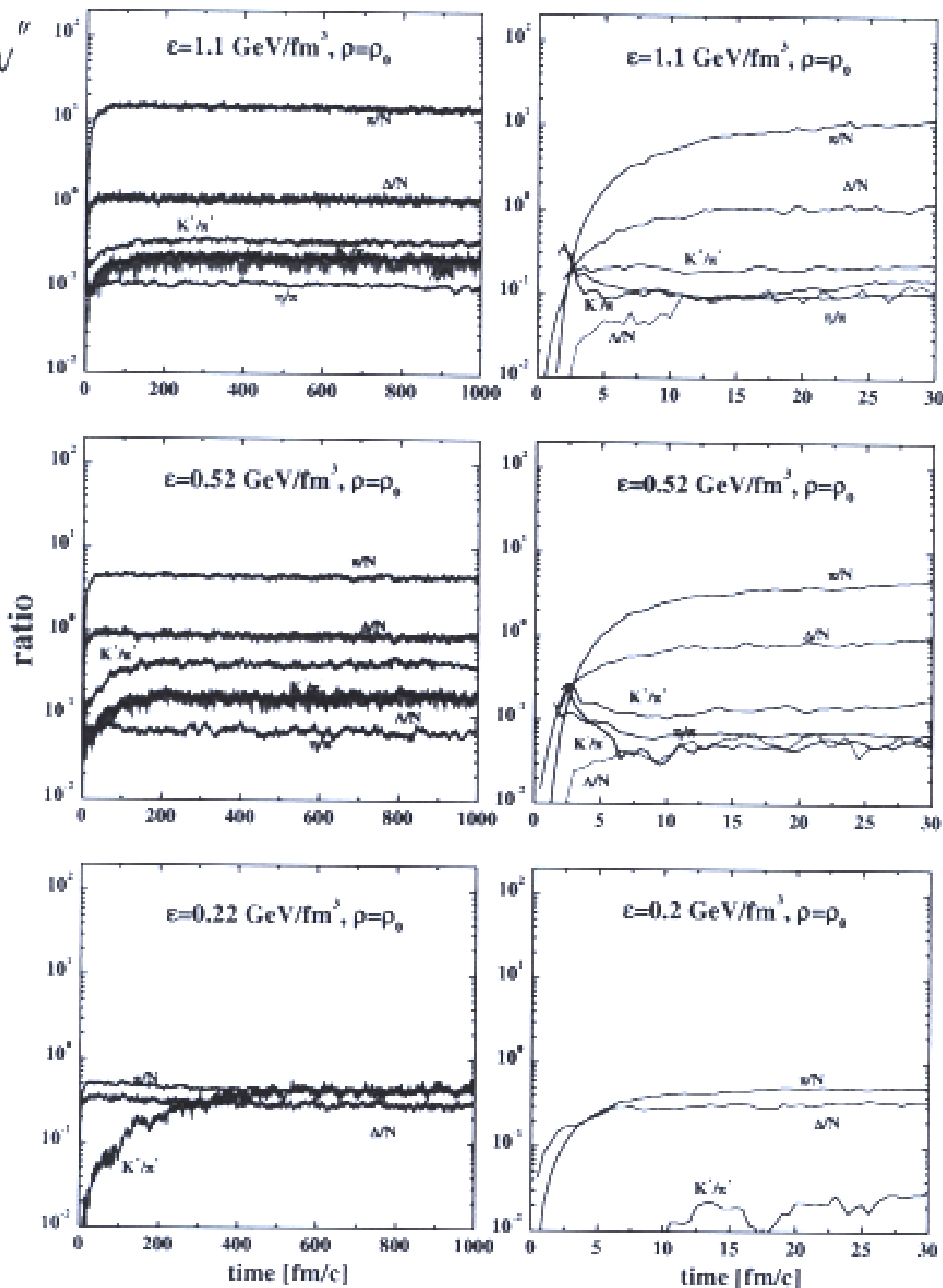
## Distribution in coordinate space



## Distribution in momentum space



CERN  
 SPS

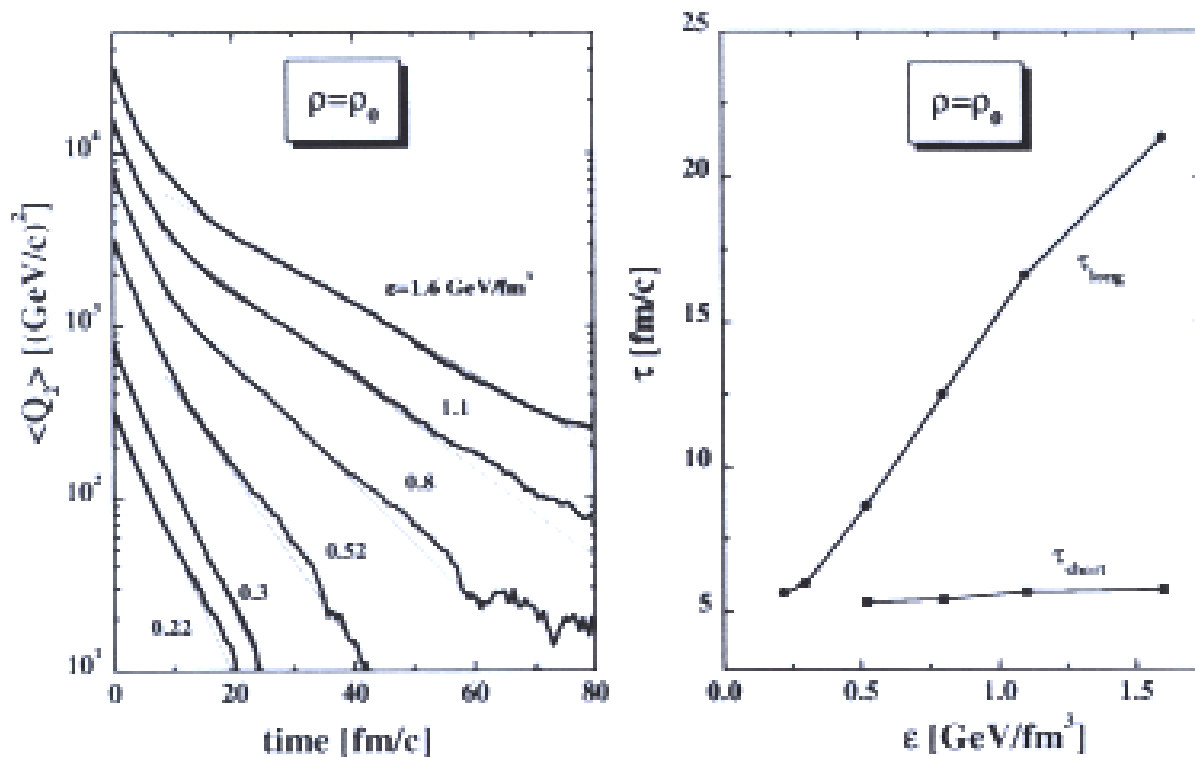


in HIC bulk of strange particles produced at beginning

Time evolution of the quadrupole moment

$$\langle Q_2 \rangle = \langle 2p_z^2 - p_x^2 - p_y^2 \rangle \text{ for density } \rho = \rho_0$$

at different energy densities  $\epsilon$



Exponential fit:

$$\langle Q_2 \rangle (t) \simeq A_1 \exp(-t/\tau_{\text{short}}) + A_2 \exp(-t/\tau_{\text{long}})$$

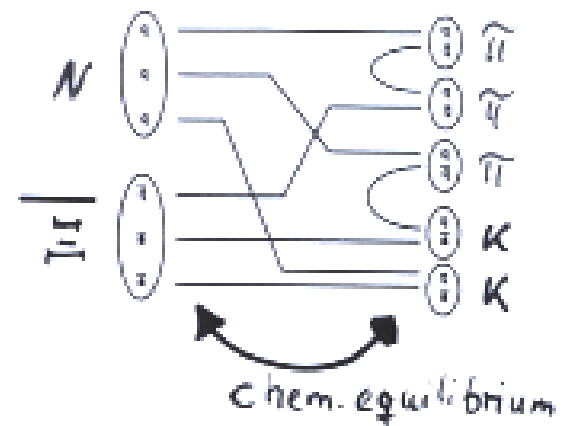
$\tau_{\text{short}} \Rightarrow$  string decays

$\tau_{\text{long}} \Rightarrow$  hadron interactions

(forward peaked)

$$\tau_{\text{short}} \sim \frac{1}{\frac{\epsilon}{2} \langle \delta_{NN} \rangle} + \tau_{\text{formation}}$$

- Kinetic Master equation:  
(thermal models)



$$\frac{d}{dt} \rho_Y = - \langle \langle \sigma_{YN} \nu_{YN} \rangle \rangle \left\{ \rho_Y \rho_N - \sum_n p_n \mathcal{R}_{(n, n_Y)} (\rho_\pi)^n (\rho_K)^{n_Y} \right\}$$

with  $\mathcal{R}_{(n, n_Y)}(T, \mu_B, \mu_s) = \frac{\rho_Y^{eq} \rho_N^{eq}}{(\rho_\pi^{eq})^n (\rho_K^{eq})^{n_Y}} = \underline{\text{detailed balance}}$   
(mass law action)

- More intuitive form:

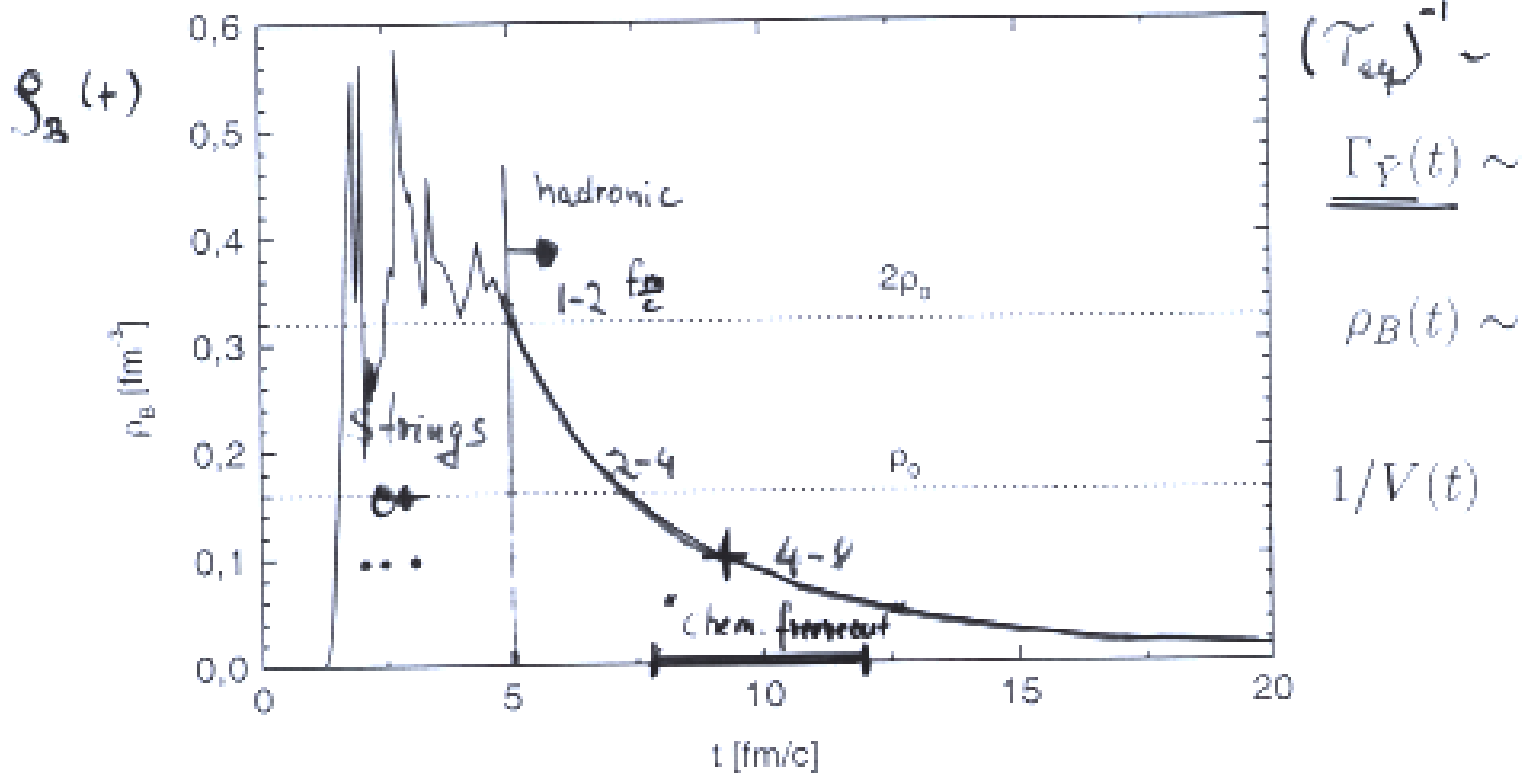
$$\begin{aligned} \frac{d}{dt} \rho_Y &= -\Gamma_Y \rho_Y + \langle \langle \sigma_{\pi Y} \nu \rangle \rangle \rho_B \\ &= -\Gamma_Y \{ \rho_Y - \rho_Y^{eq} \} \end{aligned}$$

- not fully equilibrated strangeness:

$$\rho_K^{eq} \rightarrow \rho_K = \underline{\underline{\gamma_s}} \rho_K^{eq} \implies$$

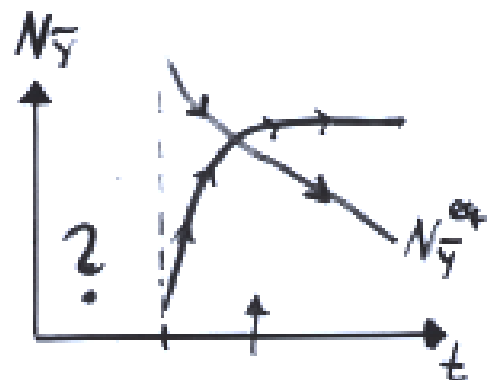
$$\rho_Y^{eq} \rightarrow \rho_Y = \underline{\underline{(\gamma_s)^{n_Y}}} \rho_Y^{eq}$$

Fast expansion scale  $V(t) \dots$



$$\frac{d}{dt} N_{\bar{Y}} = -\underline{\Gamma_{\bar{Y}}(t)} \left\{ N_{\bar{Y}} - \underline{N_{\bar{Y}}^{eq.}} \sum_n P_n \left( \frac{N_{\pi}}{N_{\pi}^{eq.}} \right)^n \left( \frac{N_K}{N_K^{eq.}} \right)^{m_Y} \right\}$$

□  $\frac{N_{\bar{Y}}^{eq.}}{N_B}(T) \sim e^{-(m_Y + 2\mu_B - m_N - \mu_s)/T}$



⇨ might, after all, explain the location of

chemical freezeout.

## Multistrange hyperons . . .

$$\square \text{ Y-production : } \quad Y + \bar{N} \leftrightarrow n\pi + n_Y \bar{K} \quad (?)$$

production rates:

$$\underline{\Gamma_Y^{eff}} = \langle\langle \sigma_{N\bar{Y}v} \rangle\rangle \underline{\rho_B \rho_Y^{eg.}} \quad \longleftrightarrow \quad \underline{\Gamma_{\bar{Y}}^{eff}} = \langle\langle \sigma_{Y\bar{N}v} \rangle\rangle \underline{\rho_B \rho_{\bar{Y}}^{eg.}}$$

One has  $\frac{\rho_B \rho_Y^{eg.}}{\rho_B \rho_{\bar{Y}}^{eg.}} \approx e^{2\mu_s/T} \equiv \left( \frac{\rho_K}{\rho_{\bar{K}}} \right)^2 > 1$  and  $\rho_Y^{eg.} \gg \rho_{\bar{Y}}^{eg.}$  <sup>SPS</sup>

$\hookrightarrow$  Ys would need much longer for chem. equilibration

$\square$  recent conjecture: fundamental importance of rescattering

$$\Lambda + \pi \leftrightarrow \Xi + K \quad , \quad \Xi + \pi \leftrightarrow \Omega + K$$

(S. Vance, nucl-th/0012056;

N. Amelin et al, hep-ph/0012276)

## Summary

- To prove for QGP, one has to test for (more) conventional alternatives (!)
- Antihyperons are produced by multi-mesonic processes
  - ◇ on a very short timescale (!)
  - ◇  $\bar{Y}$  are no QGP signature, but ...
  - ◇ clear indication for dense hadronic and eq. system
  - ◇ relevance of multi-particle interactions
  - ◇  $\bar{Y}$ -physics cannot be addressed by today transport algorithms (!)

- Should be true at AGS (!):

$$\boxed{\frac{\bar{\Lambda}}{p} \approx 3}$$

E 853

E 864

$$\frac{N_{\bar{\Lambda}}}{N_p} \approx \left(\frac{m_{\Lambda}}{m_p}\right)^{3.3} e^{-(m_{\Lambda}-m_p-\mu_s)/T} \approx 1$$

$$\sum \approx 1.6$$

- Should be lesser true at RHIC